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# „Thermal Laser Separation – Simulation Approach for Analysis of Stress Induced Crack Propagation“

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PV-Days Halle 24.10.2017

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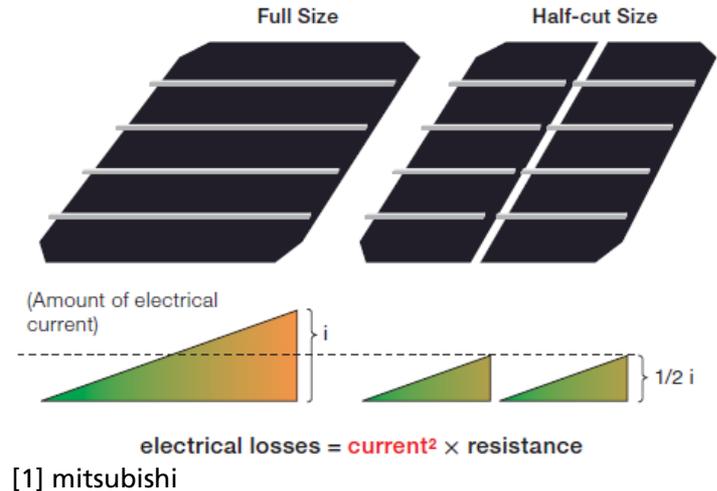
# Agenda

- Half cell modules
  - Concept and benefits
  - Performance and yield
- Comparison of cell cutting processes
- Simulation Approach Thermal Laser Separation
- Simulation Results so far
- Summary

# Half-cell modules

## Concept and state of the art

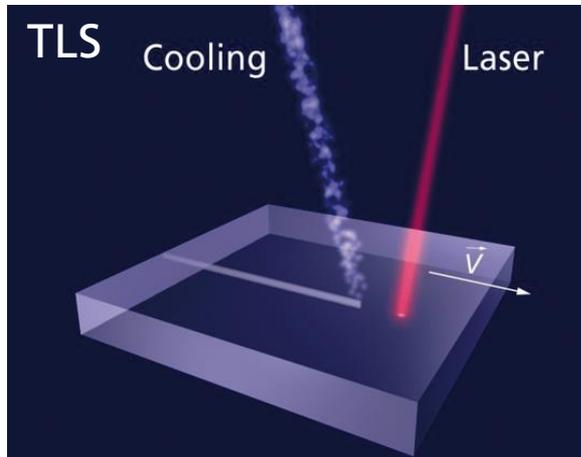
- Technology concept
  - Production of full size cells
  - Dicing into two (or more) cells
  - Module assembly
- Reduction of resistivity
  - Electrical losses scale with  $I^2$
  - Reduction of electrical losses by using half cells



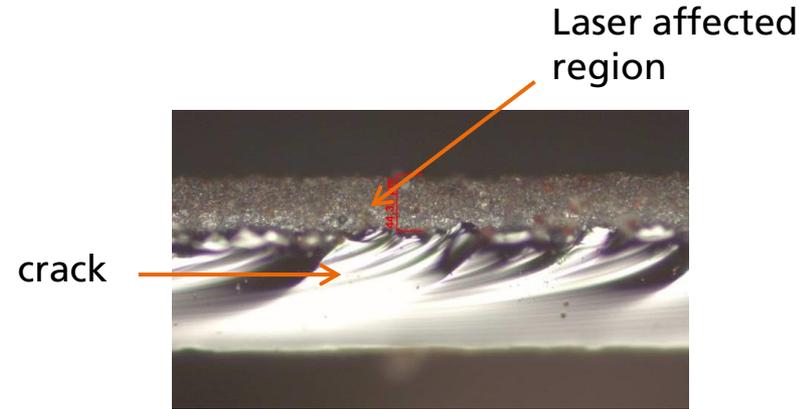
	standard	half cells
Uoc (v)	45,97	46,05
Isc (A)	9,08	9,36
Pmpp (W)	315,16	<b>330,04</b>
Umpp (V)	36,98	37,71
Impp (A)	8,52	8,75
FF (%)	75,51	76,58

# Processes for solar cell separation

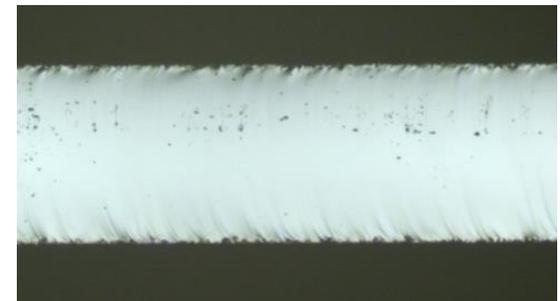
- Standard process:
  - Laser cutting up to 1/3 wafer thickness -> manual breaking
- TLS process
  - Crack propagation by thermally induced mechanical stress



Principle thermal laser separation  
(source 3D micromac)



Edge of a separated Si Wafer  
(standard process)

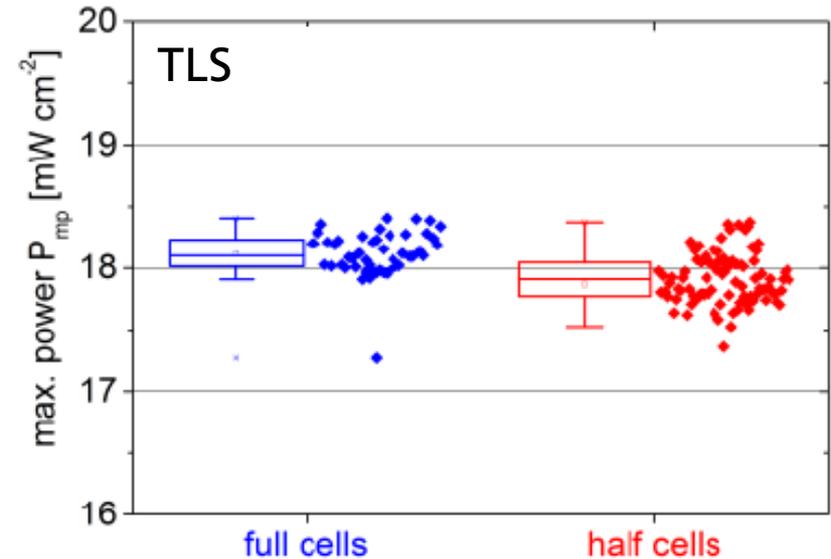
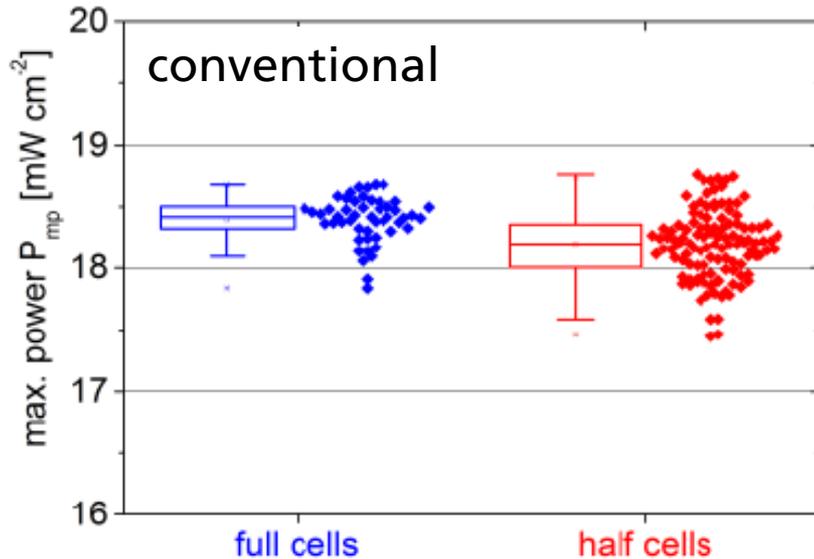


Edge of a separated Si Wafer (TLS  
process)

**Electrical losses or losses in mechanical strength?**

# I. Electrical characterization

## Conventional vs. TLS

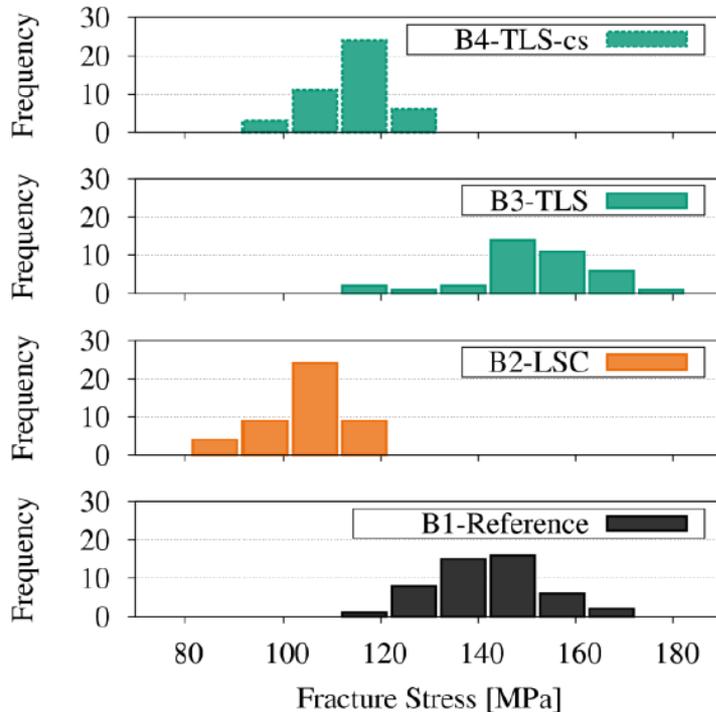


Comparison of max. power  $P_{mp}$ , conventional vs TLS

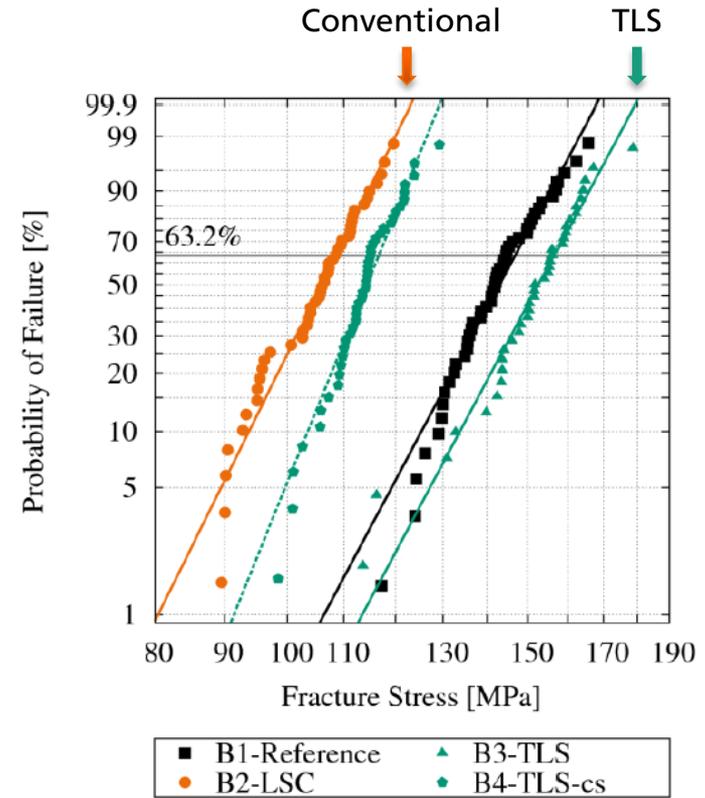
- Drop in efficiency of about 1.1%<sub>rel</sub>
- **Losses similar for TLS and conventional scribing and cleavage**
- $R_{shunt}$  increased for both processes
  - Increase does not lead to efficiency drop
- Losses mainly due to increased recombination on laser edge

# II. Mechanical strength

## Fracture stress



Representation as histogram



Size dependent Weibull distribution

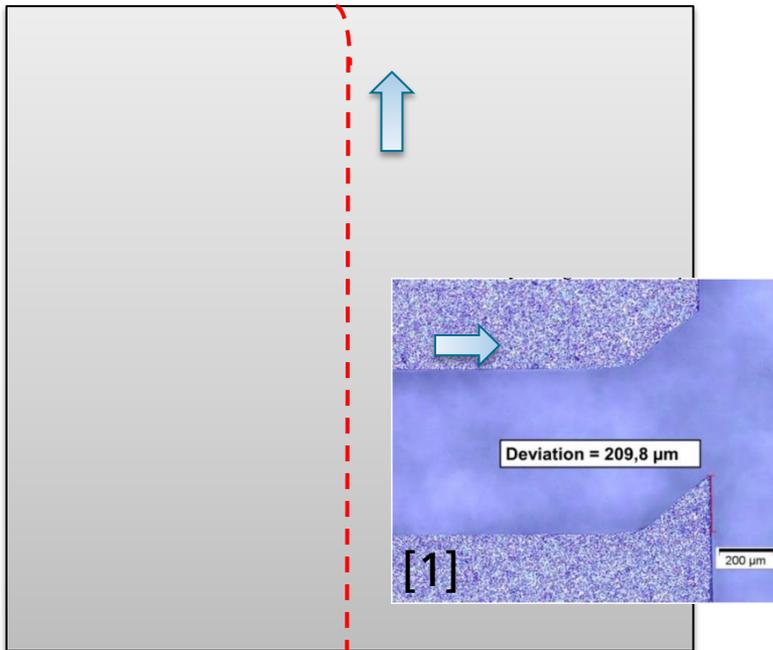
- Highest mechanical strength for TLS cut cells
- Reduced mechanical strength for conventional cut cells

# TLS-Problems

- TLS is the better option for cell separation in terms of mechanical strength
- But it has some other problems.

Non ideal crack path at wafer end

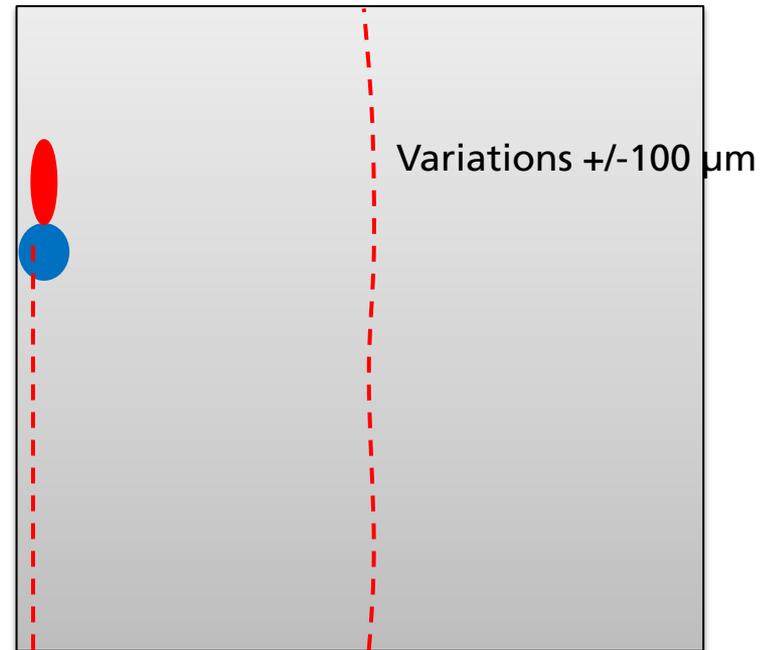
1. Crack leaves path near the wafer end



Crack path variations

2. Oscillations

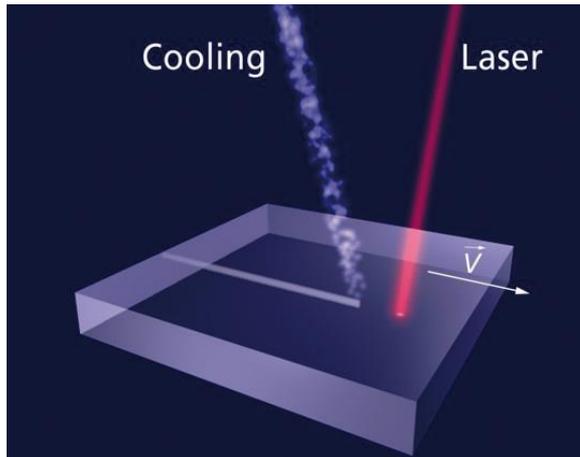
3. Deviation near wafer edge



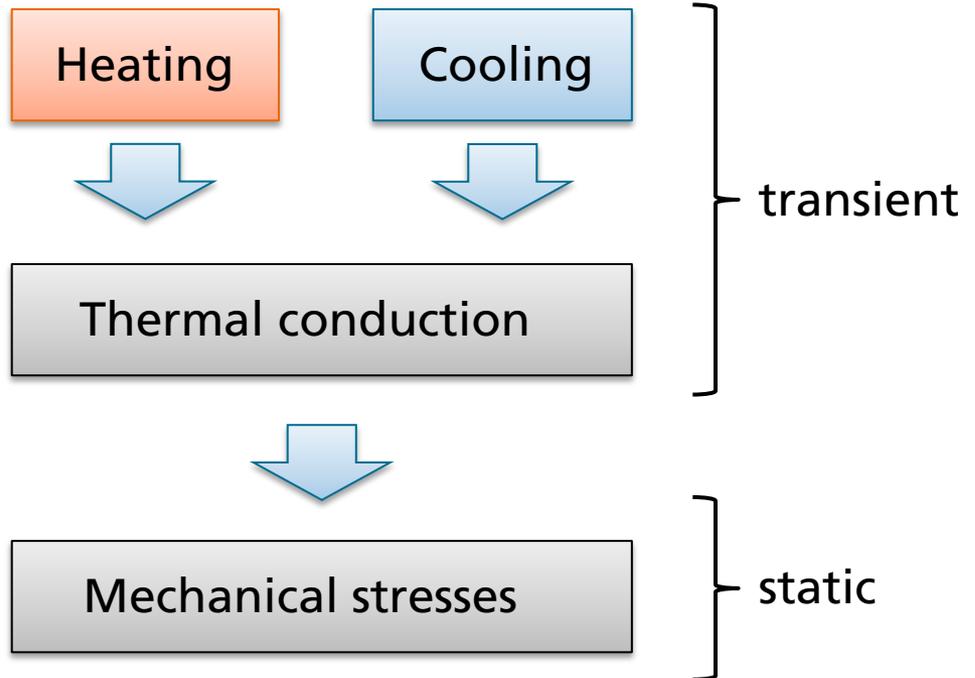
**TLS-simulation better understanding of TLS process and parameter interaction**

7 [1] J. Röth et. al., „Simulation of the thermal laser propagation process (TLS) in relation to the crack propagation at the wafer edge“, Proceedings EUPVSEC 2017

# Simulation of TLS-processes



Principle thermal laser separation  
(source 3D micromac)

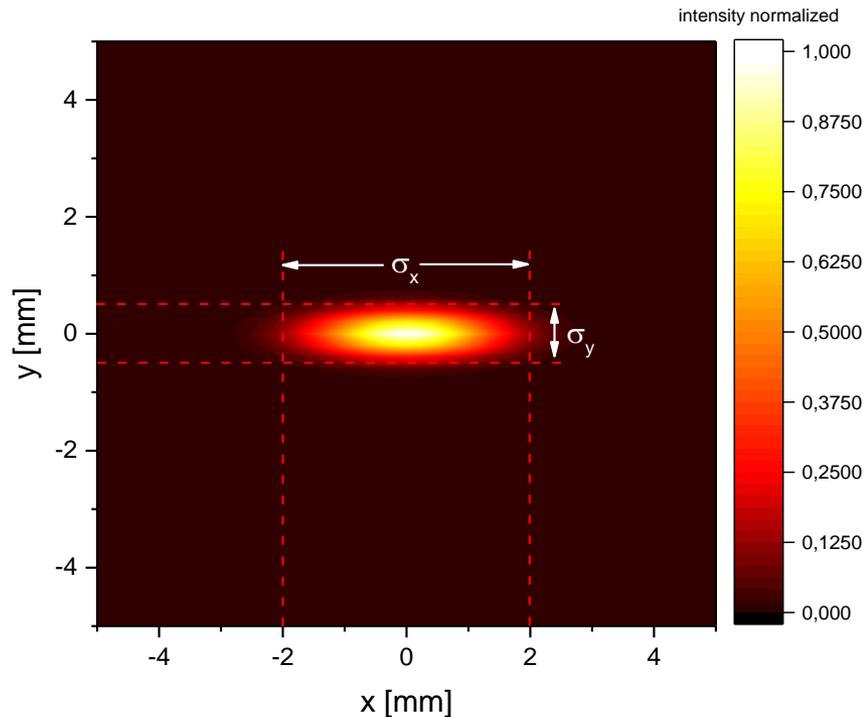


- Done with ANSYS
- Transient model for laser absorption, heating and thermal conduction (TLS-speed, laser power, cooling efficiency)
- Subsequent analysis of mechanical stresses and stress intensities

# Determination of heat generation rate

$\sigma_x, \sigma_y$ ...pulse diameter at  $1/e^2 \cdot I_{\max}$

Gaussian pulse shape:



2D-Gaussverteilung,  $\sigma_x = 4$  mm,  $\sigma_y = 1$  mm

$$I(x, y) = \exp\left(-8 \left( \frac{(x - x_0)^2}{\sigma_x^2} + \frac{(y - y_0)^2}{\sigma_y^2} \right)\right)$$

$$\int_{-\infty}^{\infty} \int_{-\infty}^{\infty} I(x, y) dx dy = \frac{1}{8} \pi \sigma_x \sigma_y$$

Mean laser power:  $P_{\text{mean}}$

Energy per time step:  $E_{\Delta t, \text{total}} = P_{\text{mean}} \cdot \Delta t$

Energy per node (for one element in z-direction):

$$E_{\Delta t, \text{node}} = \frac{8}{\pi \sigma_x \sigma_y} I(x, y) \Delta x \Delta y E_{\Delta t, \text{total}}$$

Power per node (for one element in z-direction):

$$P_{\text{HGR}, \text{node}} = \frac{8}{\pi \sigma_x \sigma_y} I(x, y) \Delta x \Delta y P_{\text{mean}}$$

# Cooling

- Cooling is realized with convection
- Convection is added to surface elements

- Definition of „cooling areas“\*

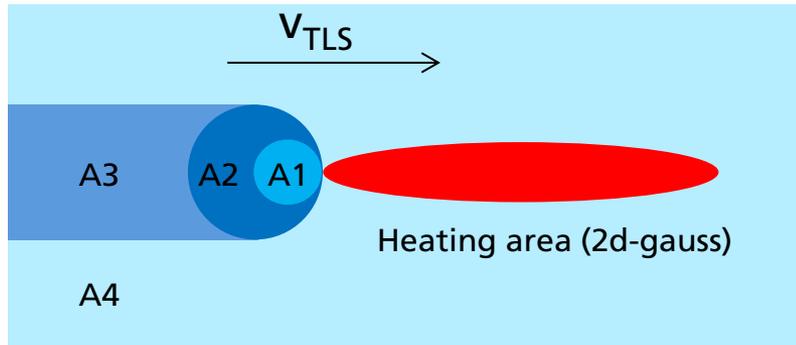
- A1 cooling by evaporation (when  $T > 100 \text{ °C}$ )
- A2 cooling moving/streaming fluid
- A3 cooling stationary fluid
- A4 cooling by ambient air

$$\alpha_1 \sim 10^4$$

$$\alpha_2 \sim 10^3$$

$$\alpha_3 \sim 10^2$$

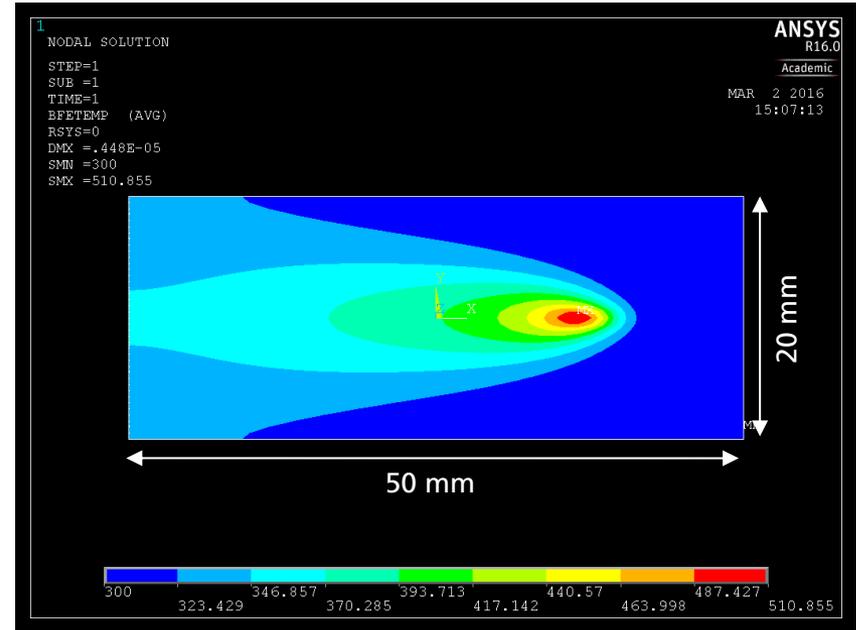
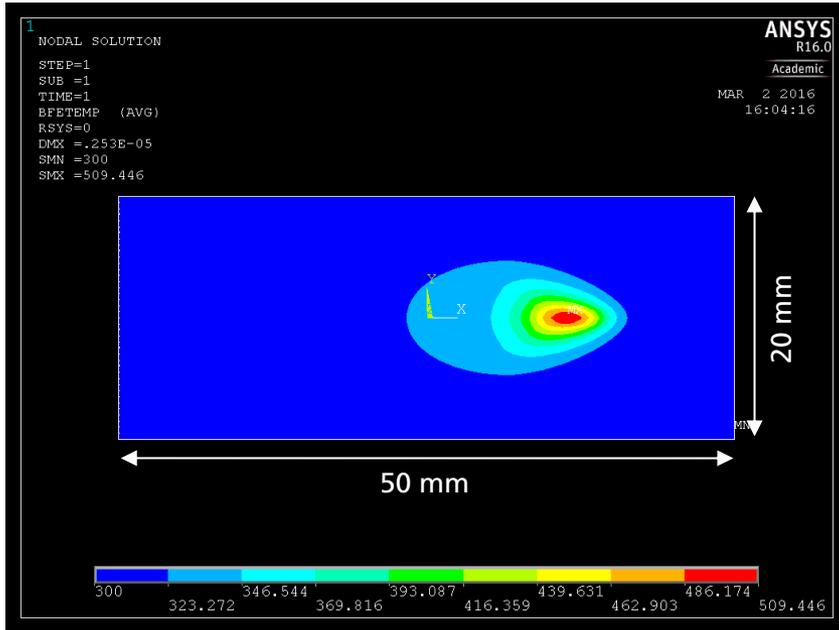
$$\alpha_4 \sim 10^1$$



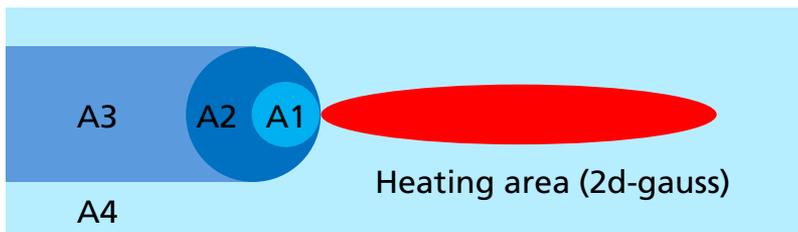
\*free convection

$$\frac{Q}{A} = \alpha * (T_1 - T_2) * \Delta t$$

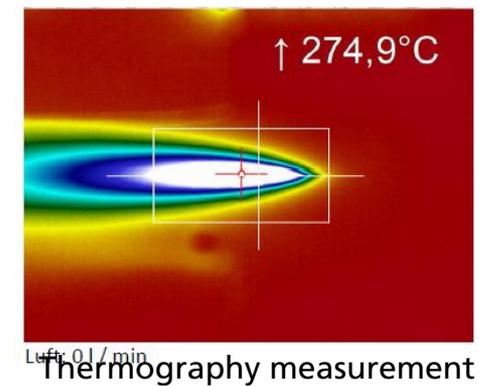
# Temperature distribution with/without cooling



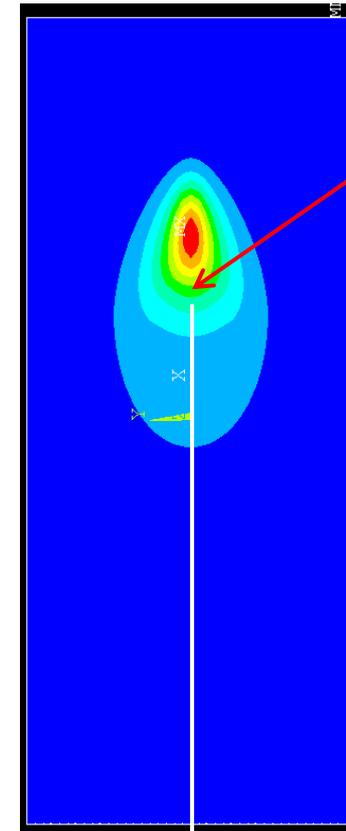
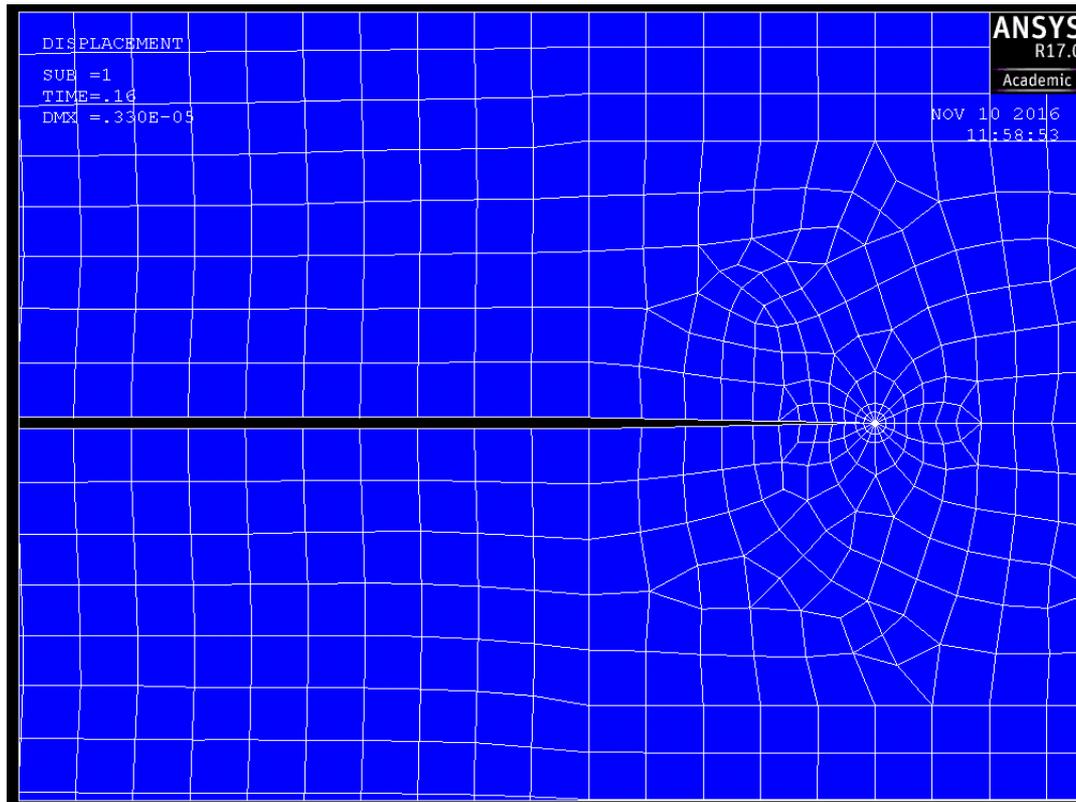
- With cooling
- $d_{A1} = 2 \text{ mm}$ ,  $\alpha_{A1} = 25000 \text{ W/(m}^2\text{K)}$
- $d_{A2} = 6 \text{ mm}$ ,  $\alpha_{A2} = 5000 \text{ W/(m}^2\text{K)}$



Without cooling

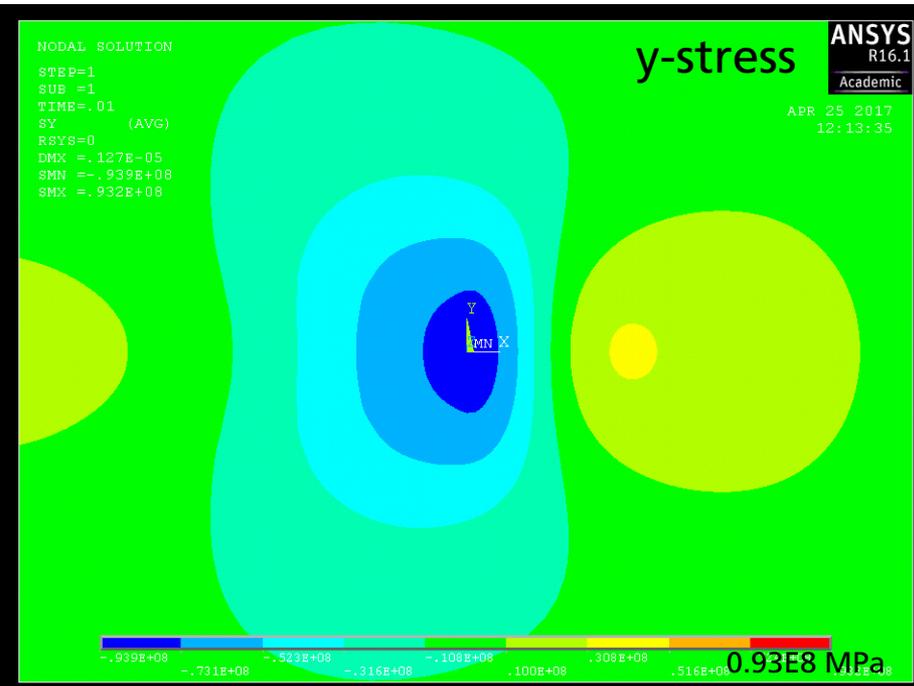
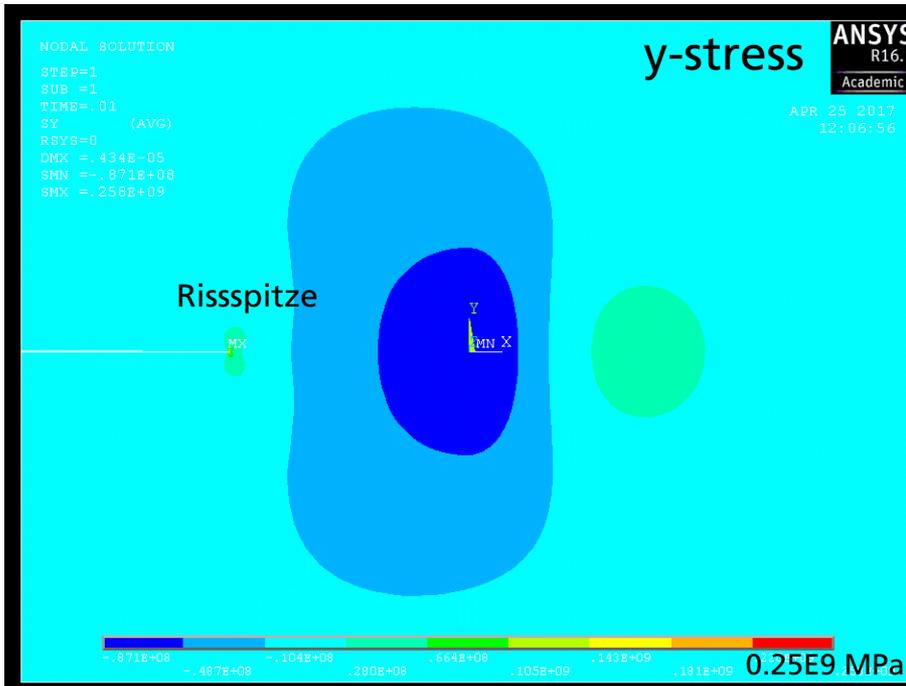
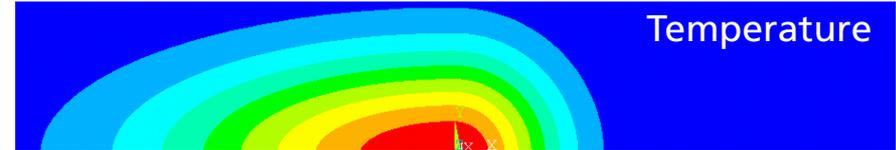
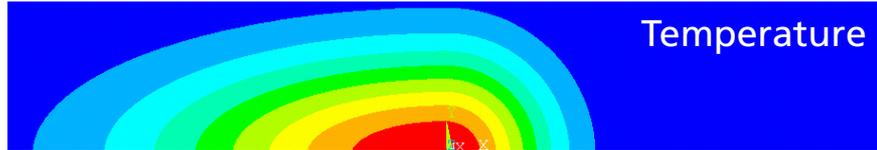


# Incorporation of a crack tip

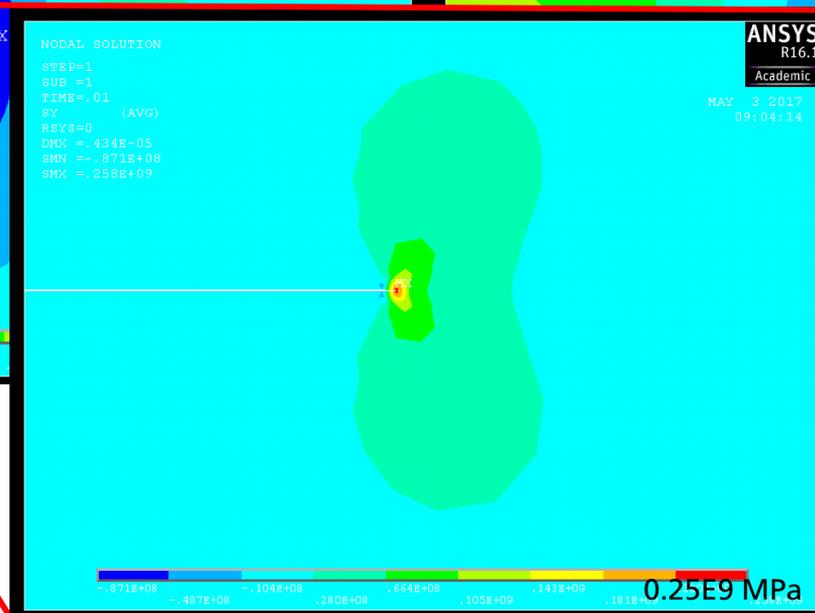
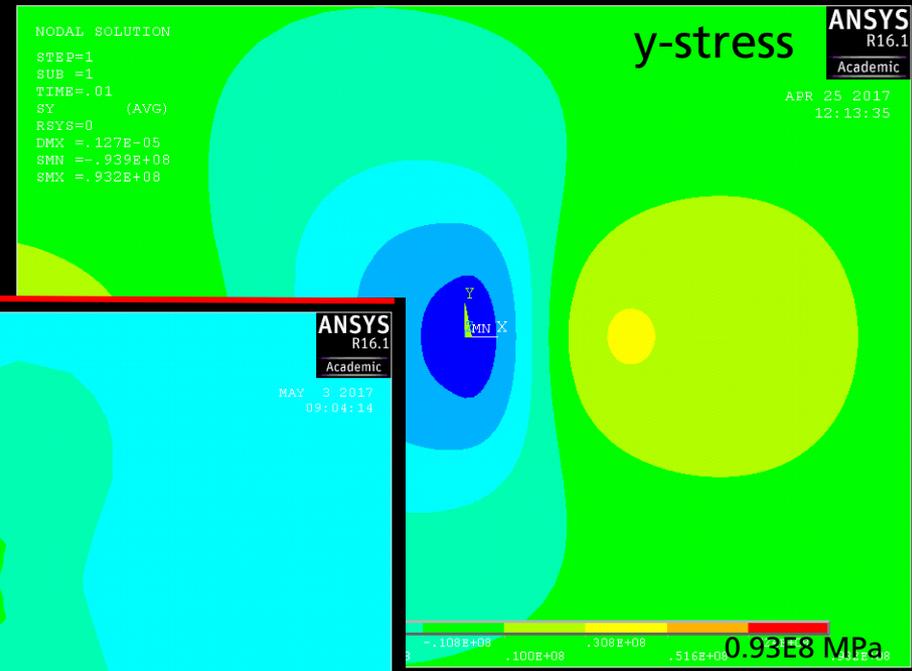
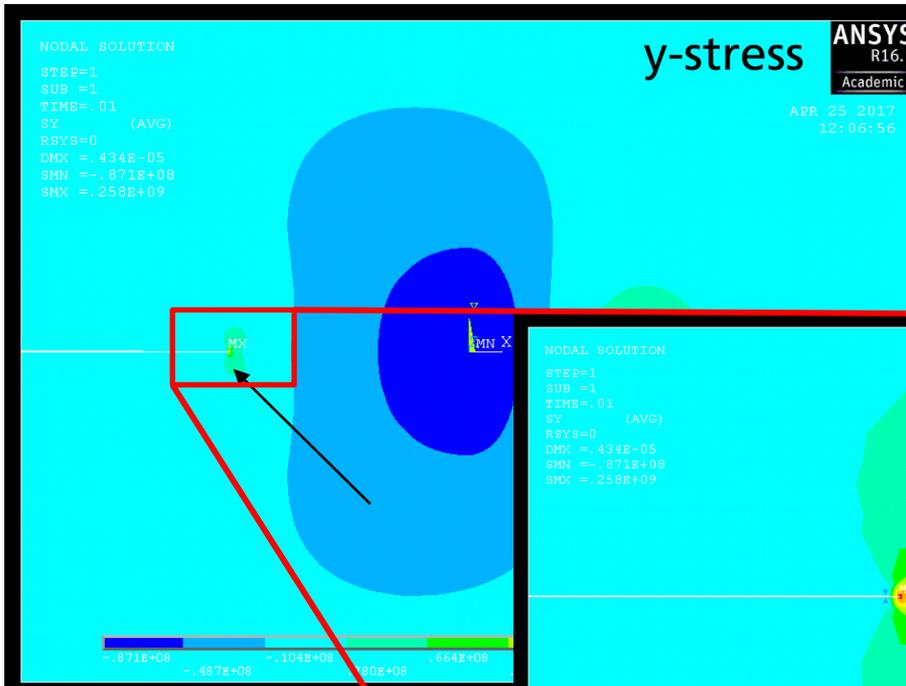
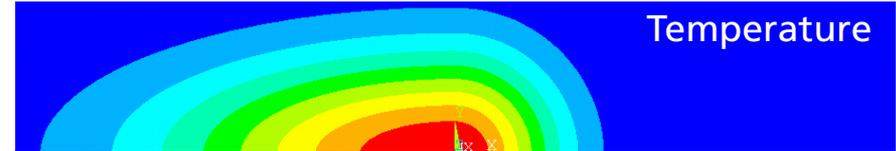
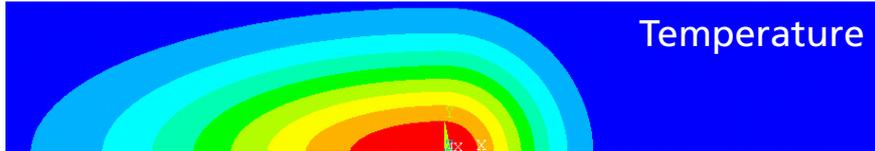


- Modeling with „crack tip elements“
- Modelled as a zero gap with contact elements
- Variation of crack tip position -> evaluation of stress intensities

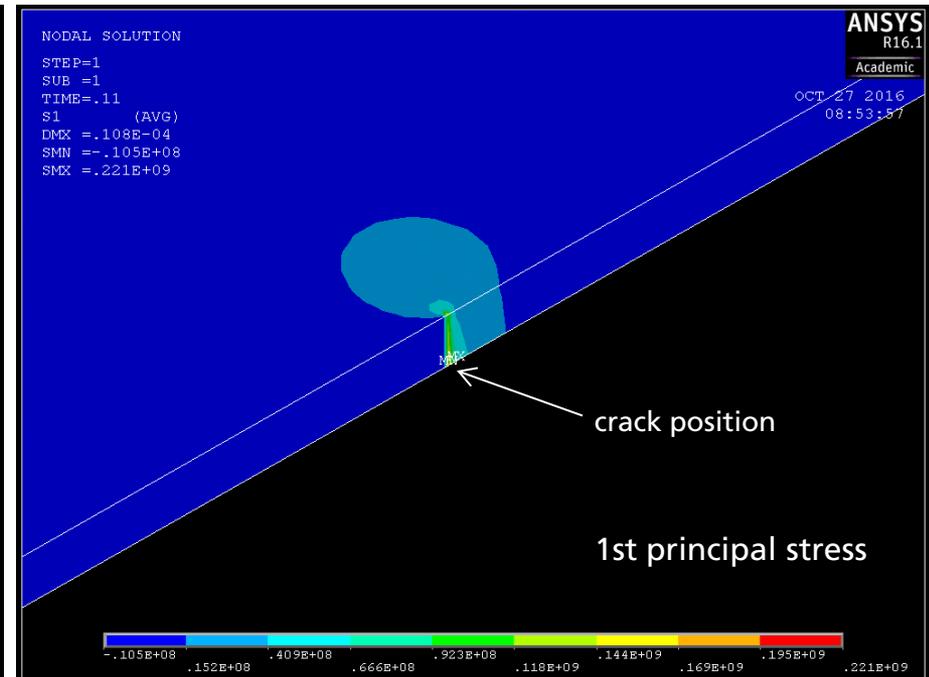
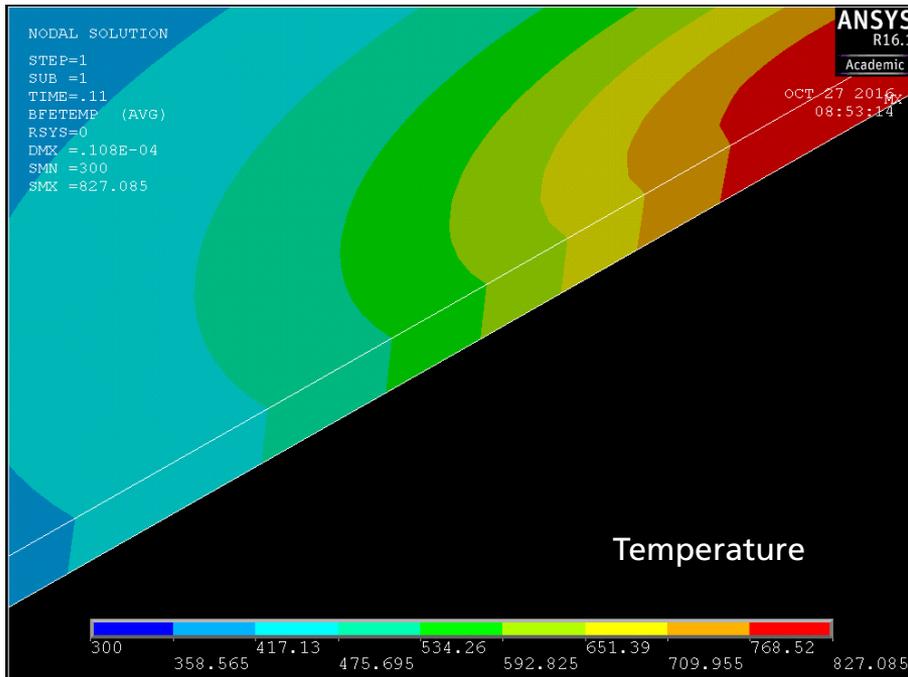
# Incorporation of a crack tip



# Incorporation of a crack tip



# Incorporation of a crack tip



- Strongly localized stress maximum at crack tip
- -> determination of stress intensity factors directly on the crack tip
- -> VCCT (virtual crack closure technique)

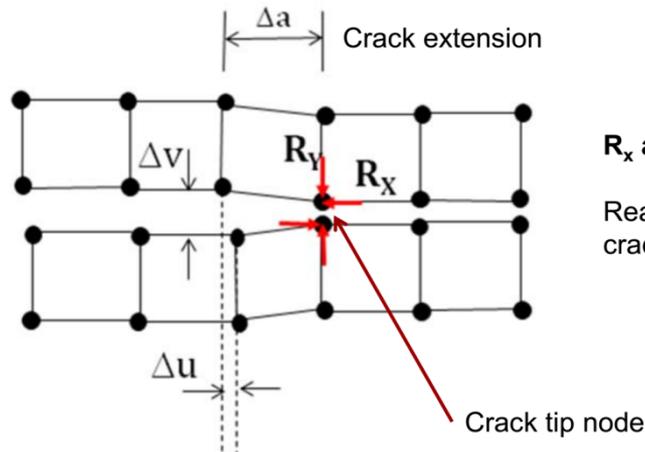
# Determination of $K_1$ , $K_2$ and $K_3$ with VCCT-method

- The mode I and II energy release rate expressions used in VCCT, assuming a 2D crack geometry and lower order elements:
  - Approach can be extended to 3D and higher order elements.

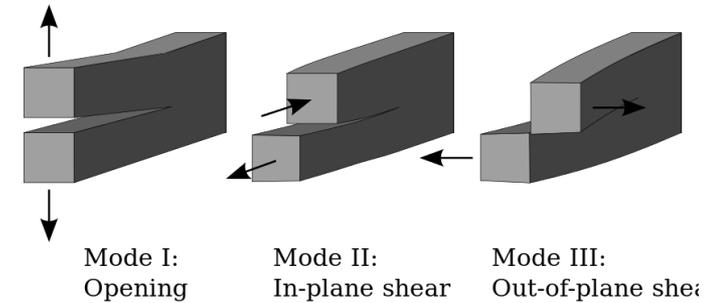
$$G_I = \frac{1}{2\Delta a} R_y \Delta v \quad G_{II} = \frac{1}{2\Delta a} R_x \Delta u$$

$\Delta u$  and  $\Delta v$ :

Relative displacements of crack face



[1]

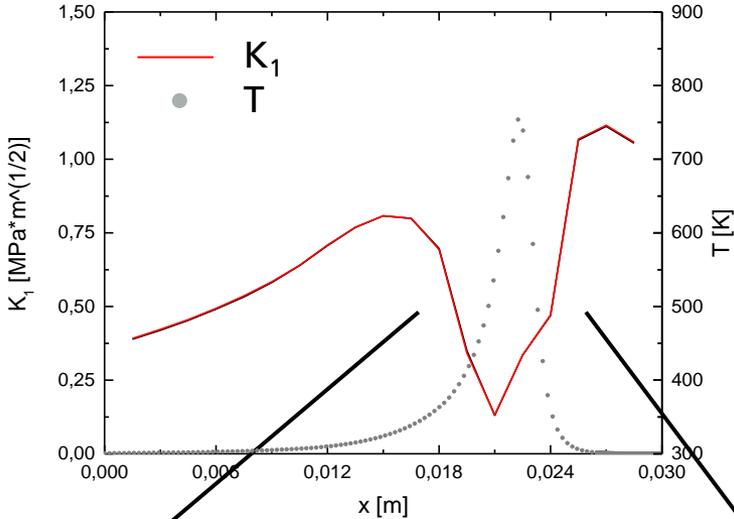


- Determination of  $G_1$ ,  $G_2$  and  $G_3$  with VCCT-method directly in ANSYS

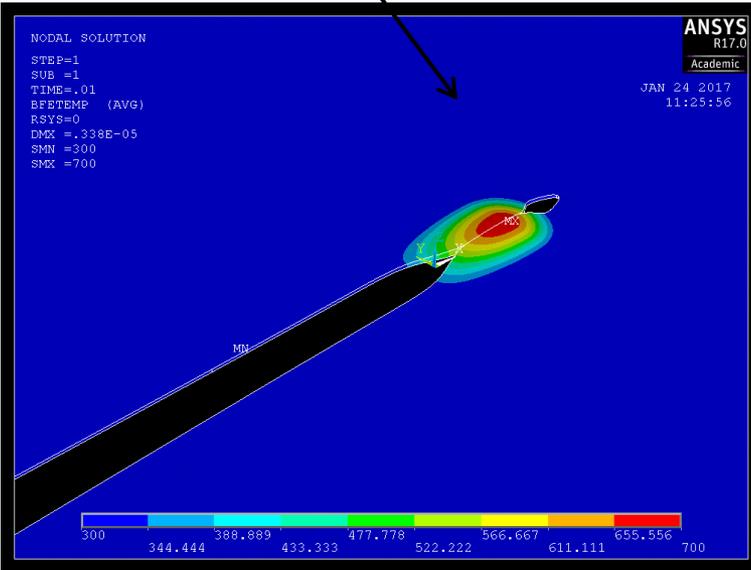
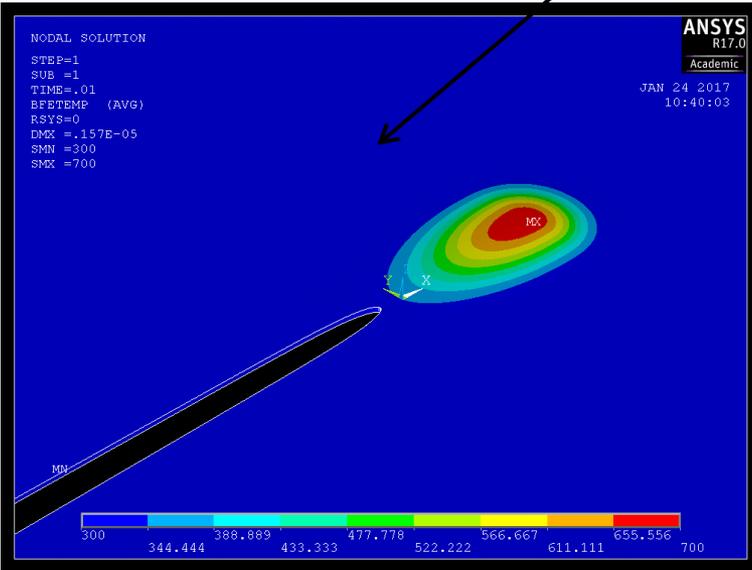
- Calculation of  $K_1$ ,  $K_2$  and  $K_3$   $\Rightarrow \frac{K_I^2 (1-\nu^2)}{E} = G_I$

[1] Virtual Crack Closure Technique (VCCT) in ANSYS, 2011 CAU Associates

# Stress intensity factors for different crack tip positions



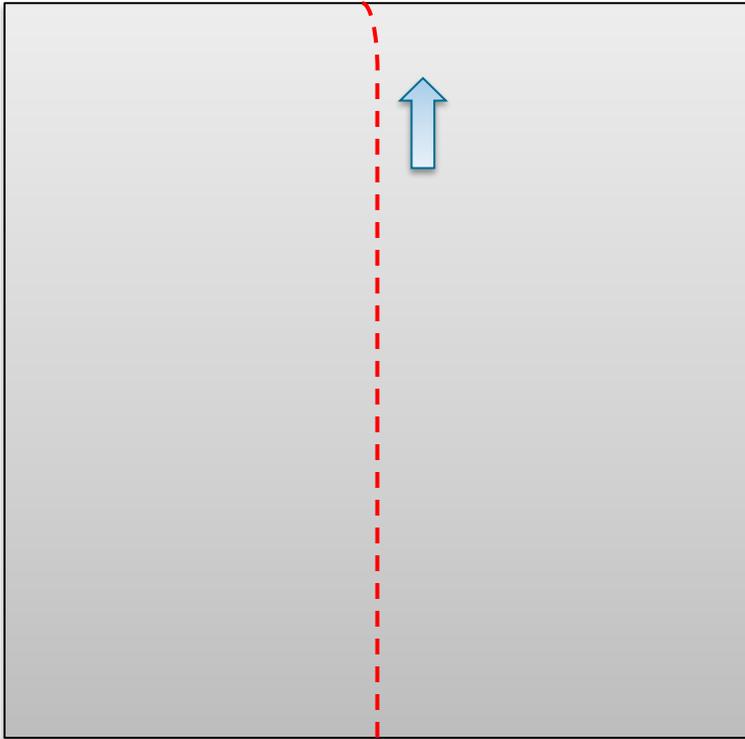
■ Maximum of  $K_1$  before and after  $T_{max}$



# TLS-Problems

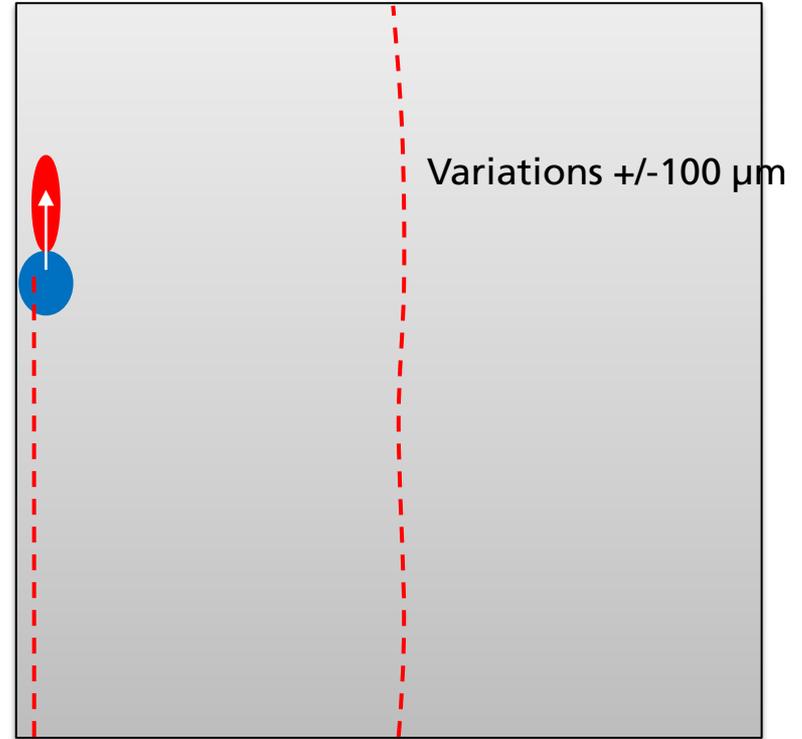
Non ideal crack path at wafer end

- Crack leaves path near the wafer end



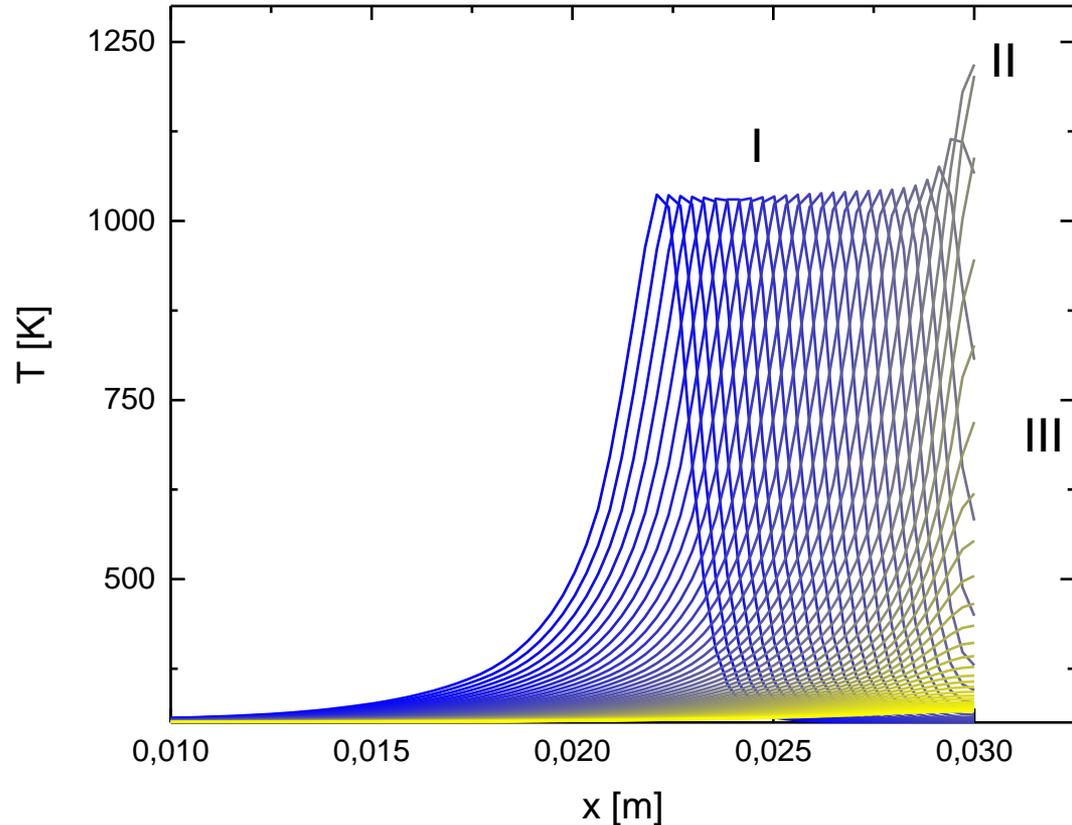
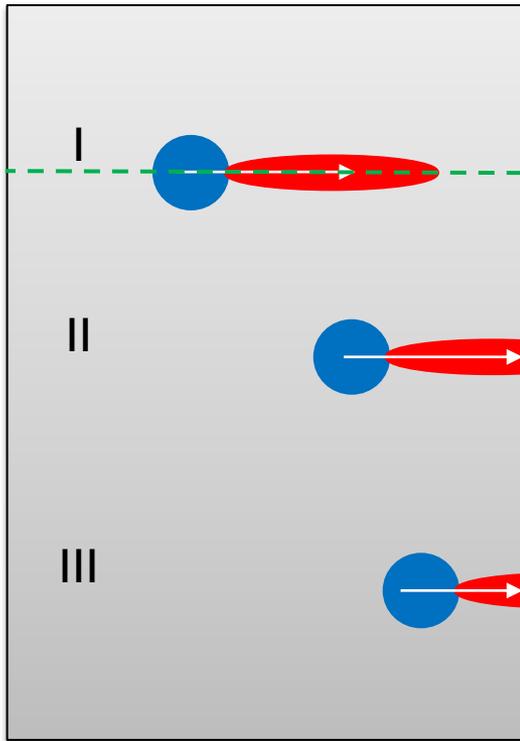
Crack path variations

- a. Oscillations
- b. Deviation near wafer edge



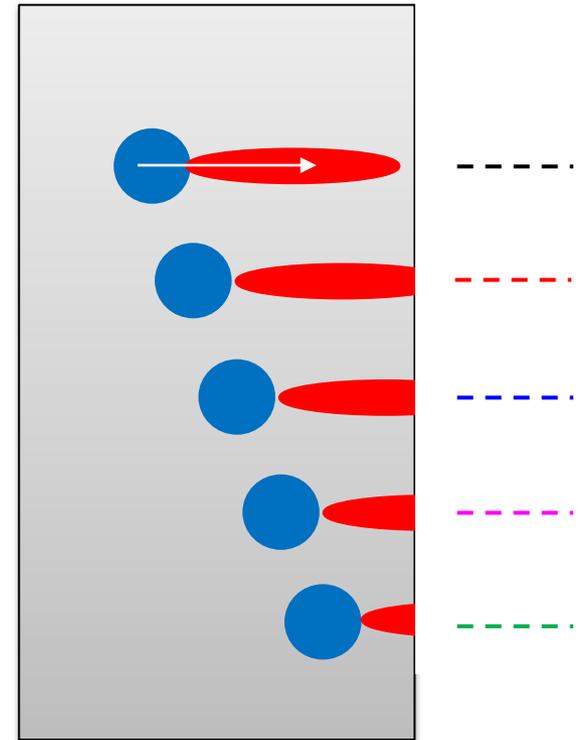
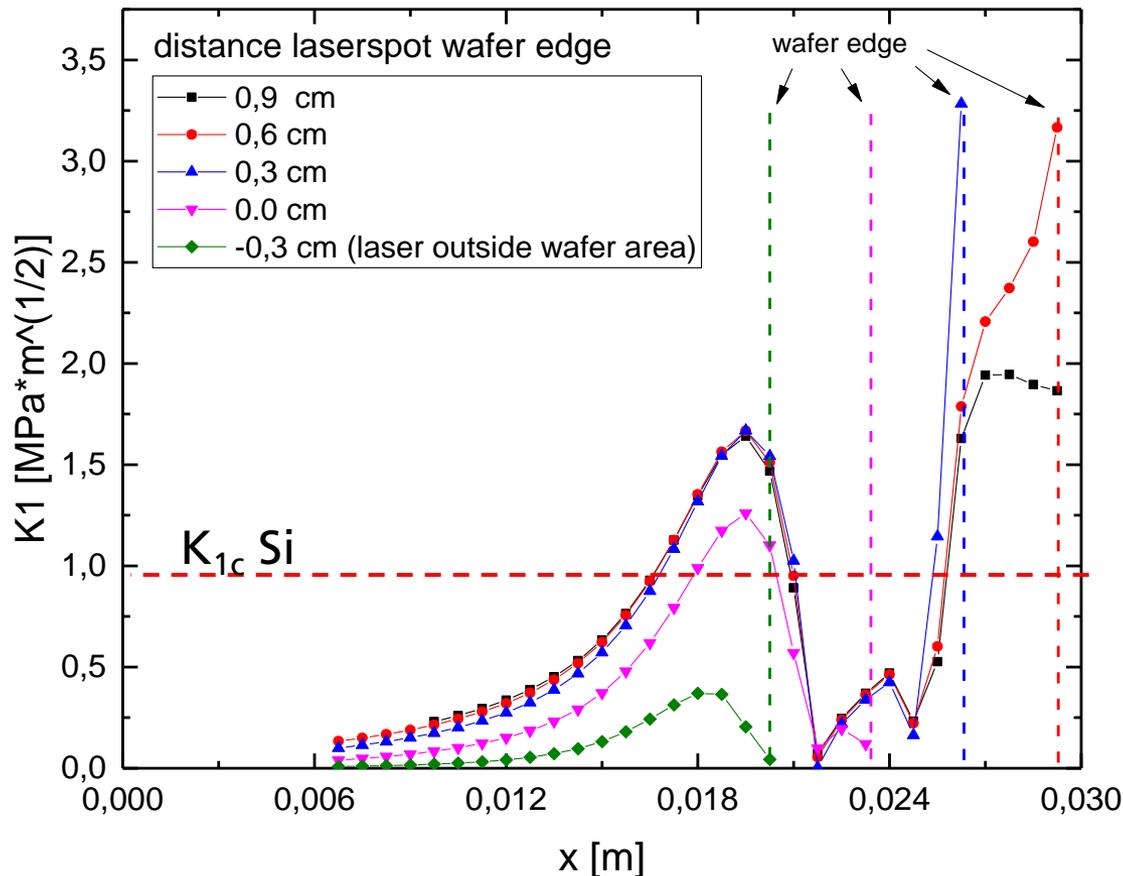
Can the model be used to reproduce/explain these problems?

# Approaching the wafer end: Temperature



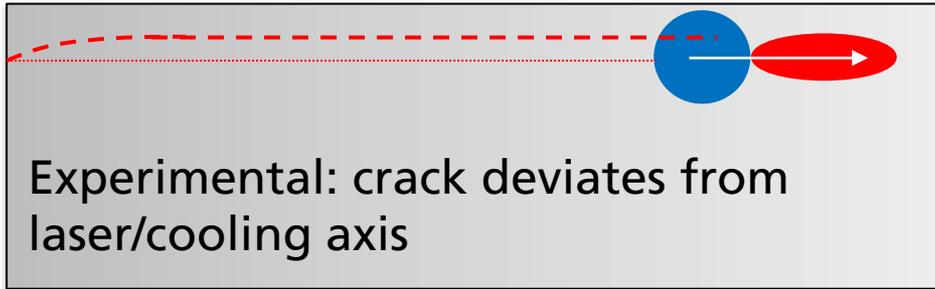
- Heat accumulation in case II  $T_{\max, \text{edge}} \sim T_{\max, \text{wafer}} * 1.15$
- Decreasing temperatures in case III
- Effect on  $K_1$  and crack propagation?

# Approaching the wafer end: Stress intensity factor $K_1$



- $K_1$  decreases -> crack propagation stops
- Possible solution: crack propagation in front of laser spot
  - -> no success so far

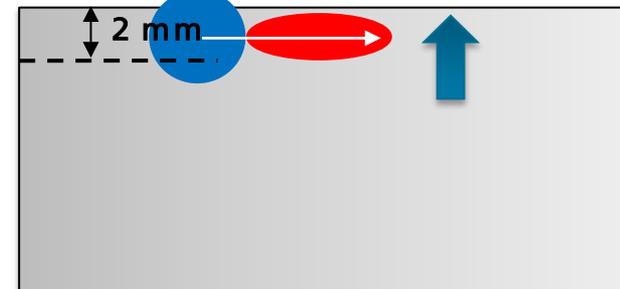
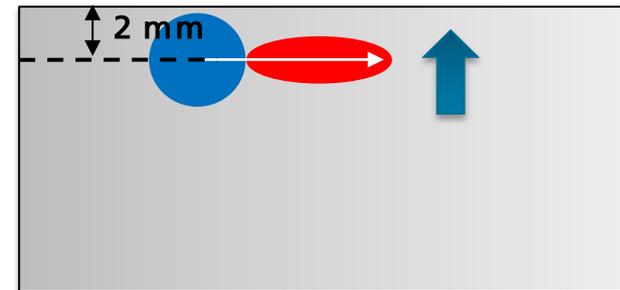
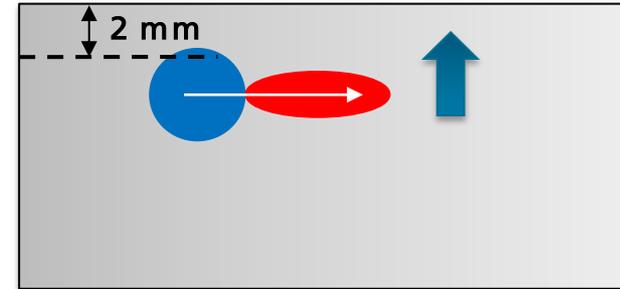
# Crack propagation near the wafer edge



- Maximum circumferential stress criterion (MCSC)

$$\theta = \alpha = 2 \operatorname{atan} \left( \frac{K_I - \sqrt{K_I^2 + 8K_{II}^2}}{4K_{II}} \right)$$

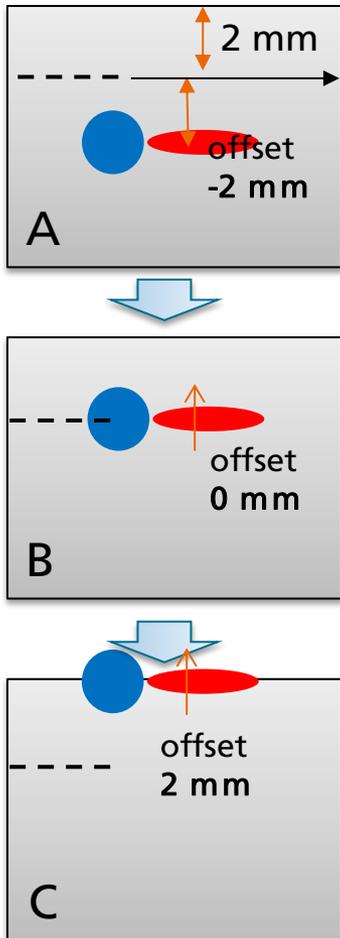
Compensation of edge effect possible?



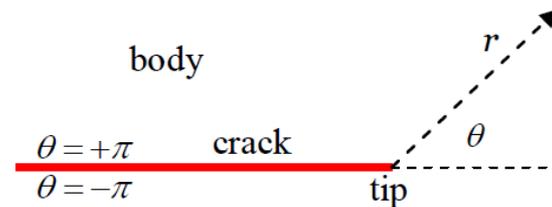
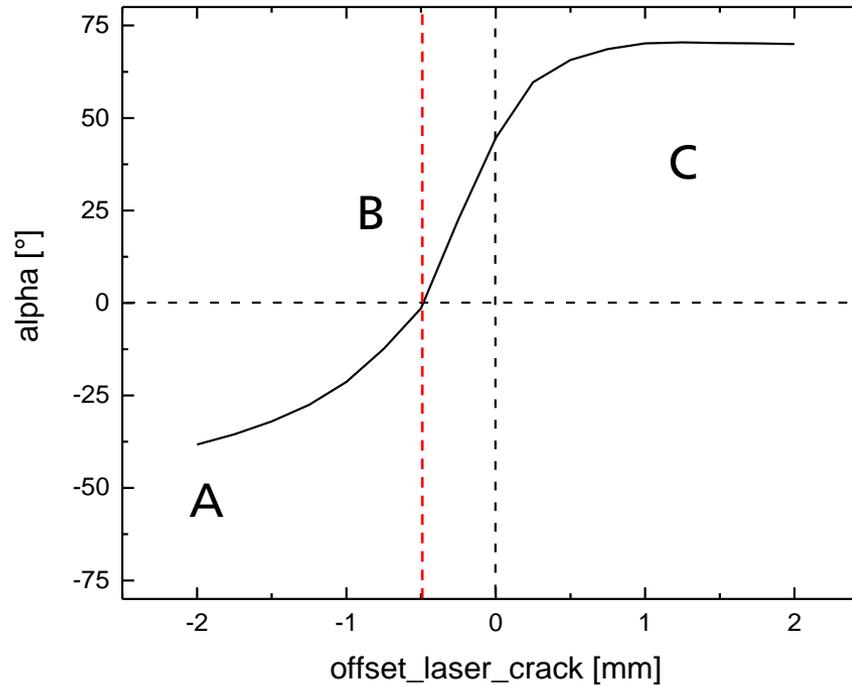
Variation offset

- Approach for simulation

# Angle of crack propagation near wafer edge

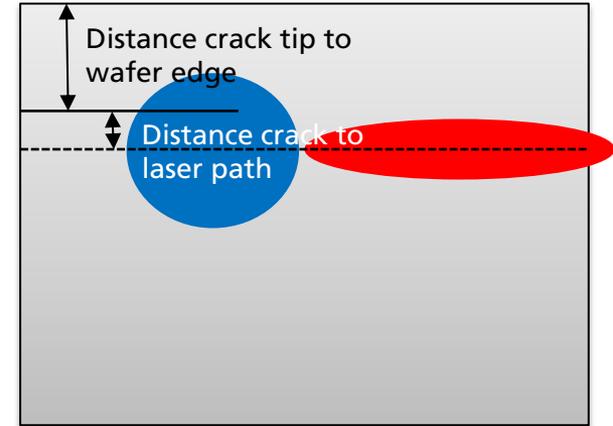
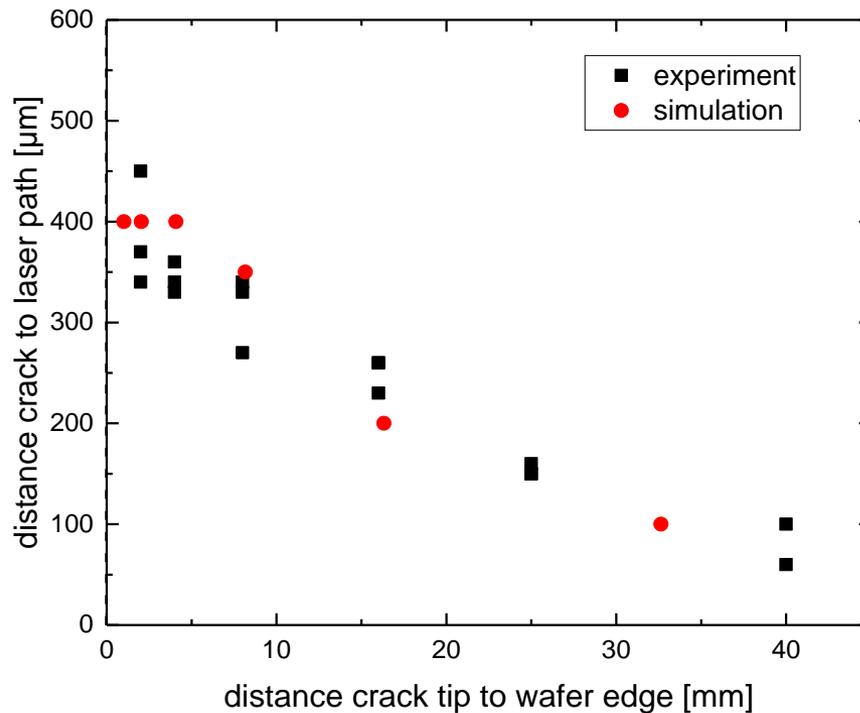


- Near the wafer edge the path of crack propagation deviates from the laser path



$$\alpha = \theta_p^{(K)} = 2 \arctan \left( \frac{K_I - \sqrt{K_I^2 + 8K_{II}^2}}{4K_{II}} \right)$$

# Crack path deviations, Experiment vs. Simulation



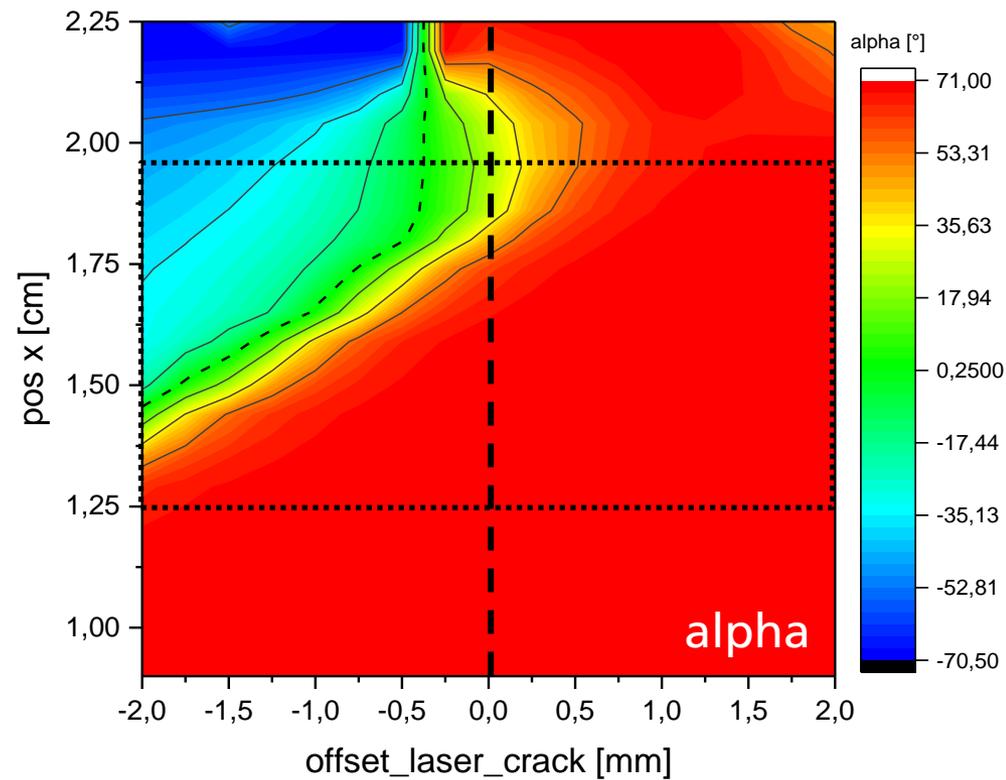
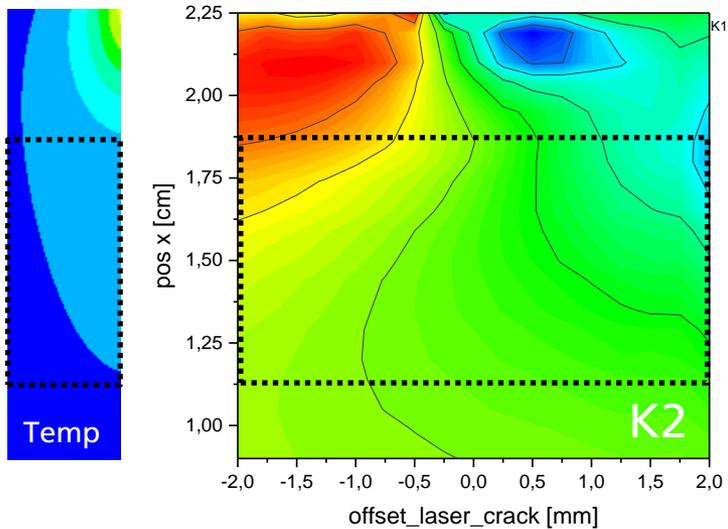
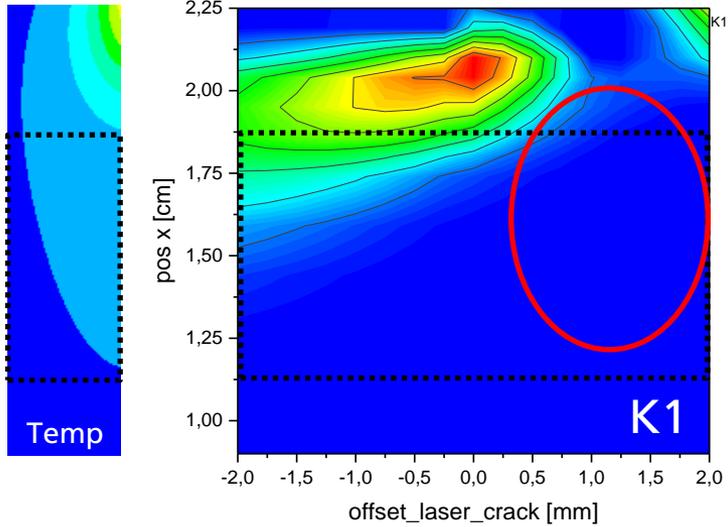
Comparison of measured and simulated crack path deviations for asymmetric cutting

- The simulation reproduces crack deviations when cutting asymmetric substrates

# Summary

- **A simulation model was set up** including
  - transient laser heating and cooling
  - evaluation of stresses and stress intensity factors
- **Model allows for analysis of TLS disadvantages**
  - Heat accumulation and reduction of K1 lead to crack path bending when approaching the wafer end
  - The dislocation of the crack path near the wafer edge can be compensated by an offset of the laser/cooling path
- **Open questions:**
  - Quantitative comparison with experimental results (ongoing)
  - 100  $\mu\text{m}$  crack path variations (possible causes: asymmetric cooling due to fluid-dynamic processes, asymmetric stress due to sample holder, residual stresses in wafer)

# Angle of crack propagation near wafer edge



- Angle of 0° is only reached with negative offset
- -> crack propagation between laser path and wafer edge

# Anhang: Wärmestau bei Überfahrt über Waferrand

